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# LEFT ZEROID AND RIGHT ZEROID ELEMENTS OF Γ-SEMIRINGS

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**Abstract**

In this paper we introduce the notion of a left zeroid and a right zeroid of Γ-semirings. We prove that, a left zeroid of a simple Γ-semiring M is regular if and only if M is a regular Γ-semiring.

**Keywords:** left zeroid, right zeroid, idempotent, Γ-semiring, division Γ-semiring.

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